

On Protolanguage Language An Evolutionary Approach

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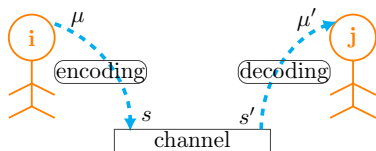
Teacher

Findings

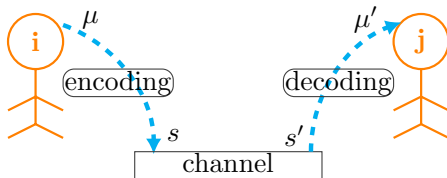
Global Language

Local Languages

References



Protolanguage



[Hurford, 1989, Nowak and Krakauer, 1999, Nowak et al., 1999]

Protolanguage

Goal: Agent i wants to transfer a meaning to agent j



Protolanguage

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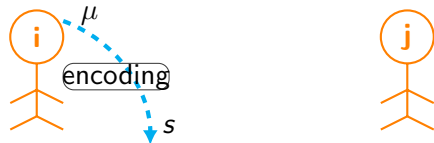
- ▶ i thinks of a meaning μ



Protolanguage

Goal: Agent i wants to transfer a meaning to agent j

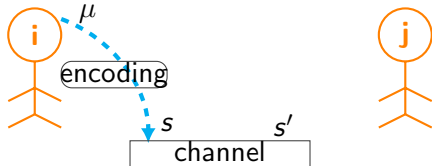
- ▶ i thinks of a meaning μ
- ▶ i encodes μ to symbol s



Protolanguage

Goal: Agent i wants to transfer a meaning to agent j

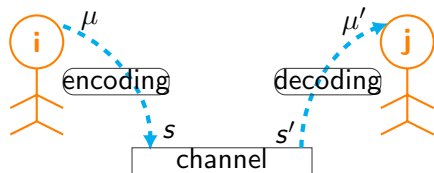
- ▶ i thinks of a meaning μ
- ▶ i encodes μ to symbol s
- ▶ channel carries over;
 due to noise s becomes s'



Protolanguage

Goal: Agent i wants to transfer a meaning to agent j

- ▶ i thinks of a meaning μ
- ▶ i encodes μ to symbol s
- ▶ channel carries over;
 due to noise s becomes s'
- ▶ j decodes s' as meaning μ'



Just communication. No grammar!

[Hurford, 1989, Nowak and Krakauer, 1999, Nowak et al., 1999]

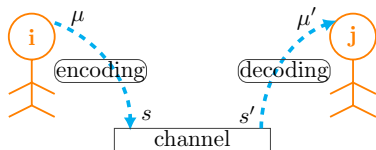
Definitions

Sets

- ▶ set of **agents**
 $\mathcal{P} \triangleq \{1, \dots, i, j, \dots, M\}$
- ▶ set of **meanings** of i
 $\mathcal{M}^{(i)} \triangleq \{1, \dots, \mu, \dots, M\}$
- ▶ set of **symbols**
 $\mathcal{S}^{(i)} \triangleq \{1, \dots, s, \dots, S\}$

Questions

- ▶ $\mathcal{M}^{(i)} \stackrel{?}{=} \mathcal{M}^{(j)}$
- ▶ $\mathcal{S}^{(i)} \stackrel{?}{=} \mathcal{S}^{(j)}$
- ▶ **encoding?**
- ▶ **decoding?**



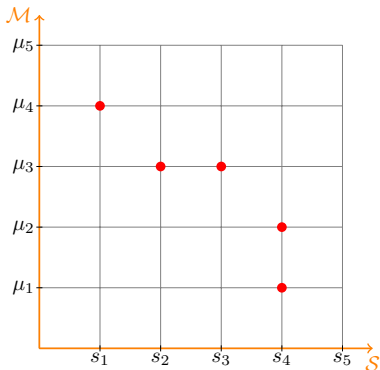
Naming

What is this?



- ▶ Learning
 - ▶ obtaining meaning-symbol associations

Meaning-symbol association



[Steels, 1995, Hurford, 1989,
Nowak and Krakauer, 1999,

Nowak et al., 1999]

Naming

What is this?



► encoding

$$\text{Prob}\{\mu_6 \rightarrow s_1\} = 1$$

$$\text{Prob}\{\mu_5 \rightarrow s_2\} = 2/5$$

► decoding

$$\text{Prob}\{s_1 \rightarrow \mu_6\} = 1$$

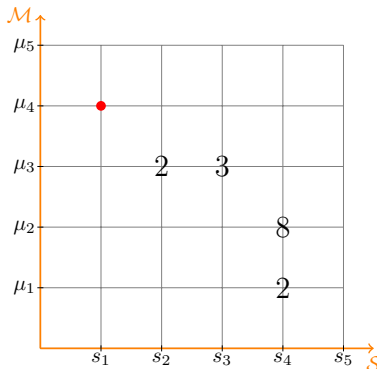
$$\text{Prob}\{s_7 \rightarrow \mu_2\} = 8/10$$

Questions

► Symbol for μ_5 ?

► Meaning for s_5 ?

Meaning-symbol association



[Steels, 1995, Hurford, 1989,
 Nowak and Krakauer, 1999,
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Model

- ▶ $\mathbf{A} = [a_{\mu s}]$: association matrix
 - ▶ $a_{\mu s} \triangleq$ frequency of $\mu \rightarrow s$
- ▶ $\mathbf{E} = [e_{\mu s}]$: encryption matrix

$$e_{\mu s} \triangleq \text{Prob}\{\mu \rightarrow s\}$$

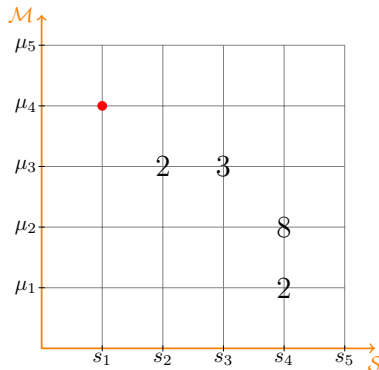
$$\triangleq \frac{a_{\mu s}}{\sum_{s'=1}^S a_{\mu s'}}$$

- ▶ $\mathbf{D} = [d_{\mu s}]$: decryption matrix

$$d_{\mu s} \triangleq \text{Prob}\{s \rightarrow \mu\}$$

$$\triangleq \frac{a_{\mu s}}{\sum_{\mu'=1}^M a_{\mu' s}}$$

Meaning-symbol association



[Steels, 1995, Hurford, 1989,
 Nowak and Krakauer, 1999,

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Model

2-person language

- ▶ 2 different association matrices



- ▶ successfully communicating μ
 $\text{Prob}\{\mu \rightarrow \mu\} \triangleq \sum_{s=1}^S e_{\mu s}^{(i)} d_{s\mu}^{(j)}$

- ▶ (average) **comprehension**
 from i to j

$$F(i \rightarrow j) \triangleq \frac{1}{M} \sum_{\mu=1}^M \sum_{s=1}^S e_{\mu s}^{(i)} d_{s\mu}^{(j)}$$

- ▶ (average) **mutual comprehension**
 from i to j

$$F(i \leftrightarrow j) \triangleq \frac{1}{2}(F(i \rightarrow j) + F(j \rightarrow i))$$

		
agent	i	j
language	$L^{(i)}$	$L^{(j)}$
association	$\mathbf{A}^{(i)}$	$\mathbf{A}^{(j)}$
encoding	$\mathbf{E}^{(i)}$	$\mathbf{E}^{(j)}$
decoding	$\mathbf{D}^{(i)}$	$\mathbf{D}^{(j)}$

Model

2-person language

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$$\text{Prob}\{\mu \rightarrow \mu\} \triangleq \sum_{s=1}^S e_{\mu s}^{(i)} d_{s\mu}^{(j)}$$

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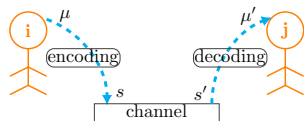
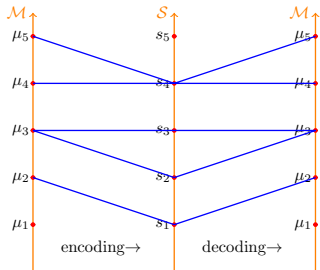
from i to j

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Model

2-person language

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- ▶ successfully communicating μ

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 from i to j

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- ▶ (average) **mutual comprehension**
 from i to j

$$F(i \leftrightarrow j) \triangleq \frac{1}{2}(F(i \rightarrow j) + F(j \rightarrow i))$$

N -person language

- ▶ N different association matrices
- ▶ $\binom{N}{2}$ mutual comprehensions
- ▶ **within community comprehension** for $\mathcal{C} \subseteq \mathcal{P}$

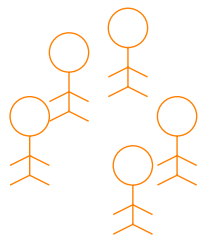
$$W(\mathcal{C}) \triangleq \frac{1}{2 \binom{|\mathcal{C}|}{2}} \sum_{i \in \mathcal{C}} \sum_{\substack{j \in \mathcal{C} \\ j \neq i}} F(i \leftrightarrow j)$$



[Hurford, 1989, Nowak and Krakauer, 1999, Nowak et al., 1999]

Evolutionary Dynamics

Evolutionary Dynamics



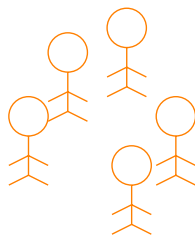
Generation G_i



fitness



reproduction



Generation G_{i+1}



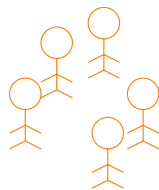
natural selection



Fitness

Assumption

- ▶ Language ability increases fitness



“able to speak” should increase fitness:

fitness ↗ as

- ▶ language ↗
- ▶ mutual comprehensions $F(i \leftrightarrow j)$ ↗
- ▶ within community comprehension $W(C)$ ↗

Learning

“Parent Oriented Teacher Selection Causes Language Diversity”
Journal of Theoretical Biology, 429, 2017

[Cimentepe and Bingol, 2017]

Teacher Selection

Assumptions

- ▶ Child learns language of parent p or someone “close” to parents
- ▶ Child learns from single teacher t

Language-wise close (Model-A)

- ▶ Select R agents language-wise closest to parent p
- ▶ This R -set is called the **imitation set** \mathcal{L}_p of p . Select ℓ as t among R with probability

$$\frac{F(p \leftrightarrow \ell)}{\sum_{j \in \mathcal{L}_p} F(p \leftrightarrow \ell)}$$

Physically close (Model-B)

- ▶ Select R agents physically closest to parent p
- ▶ Use 1D ring lattice for physical distance

Child Learns from Teacher

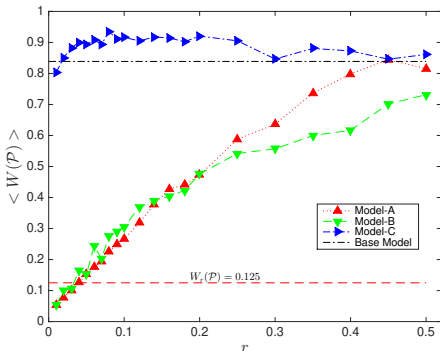
- ▶ Initially child has an empty association matrix **A**
- ▶ Child learns by means of sampling
 - ▶ Child asks Q questions for each meaning μ
 - ▶ Teacher answers symbols s
 - ▶ Child populates her association matrix entry $a_{\mu s}$

Findings

Teacher selection causes language diversification

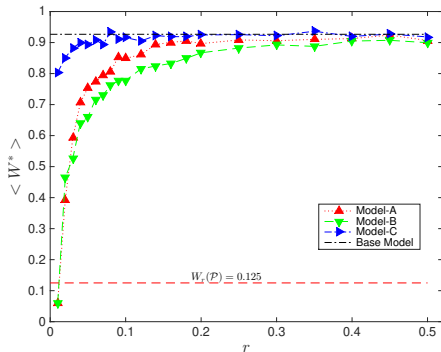
[Cimentepe and Bingol, 2017]

No Global Language



Overall comprehension $W(\mathcal{P})$ is
not good

- ▶ No single language

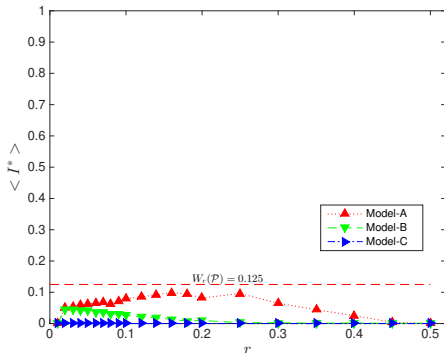


Within-community
comprehension $\langle W^* \rangle$ is good

- ▶ “Dialects” in communities

Inter-community Comprehension

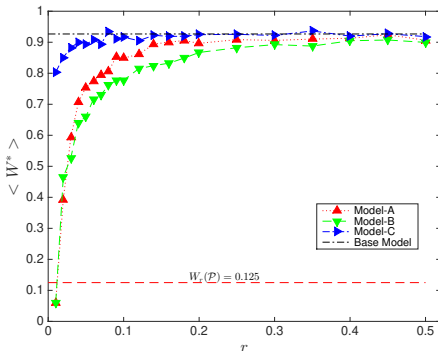
High within-community, low inter-community comprehension



Inter-community Comprehensions

$\langle I^* \rangle$ is low

► It should be low

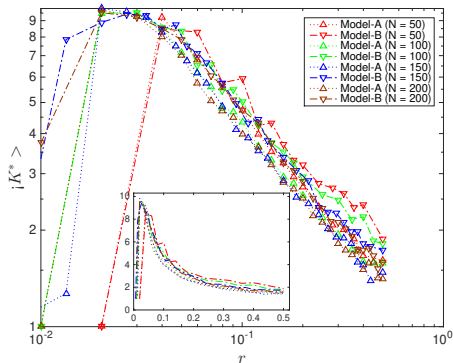


Within-community

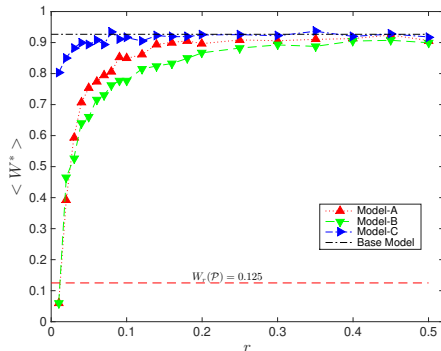
comprehension $\langle W^* \rangle$ is good

► “Dialects” in communities

Many Local Languages



Number of communities $\langle K^* \rangle$
 ► Many language communities



Within-community
comprehension $\langle W^* \rangle$ is good
 ► “Dialects” in communities

Finding Optimum Language Clusters

(Details)

- ▶ K -partition of \mathcal{P}

$$\mathbb{P}_K = \{\mathcal{C}_1, \mathcal{C}_2, \dots, \mathcal{C}_K\}$$

- ▶ Average within-community comprehension

$$W(\mathbb{P}_K) = \frac{1}{K} \sum_{\alpha=1}^K WC_{\alpha}$$

Using k -means clustering

- ▶ Partition with the maximum average within-community comprehension

$$\overline{\mathbb{P}}_K = \arg \max_K W(\mathbb{P}_K).$$

- ▶ Optimum K

$$K^* = \arg \max_K W(\mathbb{P}_K)$$

- ▶ Optimum within-community comprehension

$$W^* = W(\overline{\mathbb{P}}_K)$$

References I

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source: <https://github.com/halukbingol/presentationLanguage.git>



Thank You